Name \_\_\_\_\_

Per \_



**I. Vocabulary** Use the **Word bank:** At random, complement, decimals, experimental, instance, Percents, reduce, subset, trials, variable

1.) An Event is any \_\_\_\_\_\_ (part) of a sample space.

2.) To pick an item \_\_\_\_\_\_ from a set is to pick in such a way that all items are equally likely to be chosen.

3.) Odds are not fractions, but they do \_\_\_\_\_\_ like fractions.

4.) \_\_\_\_\_\_ probability is based on data collected in the real world.

5.) A probability experiment is a kind of statistical study that consists of repeated \_\_\_\_\_\_.

**6.)** A random \_\_\_\_\_\_\_ is a rule that assigns a number to each outcome in a sample space. The set of all outcomes that have been assigned the same number is called a/an \_\_\_\_\_\_.

7.) The set of all outcomes in a sample space that are <u>not</u> in an Event is called the \_\_\_\_\_\_ of that Event.

8.) Probabilities can be expressed as fractions, \_\_\_\_\_\_ or \_\_\_\_\_\_.

### II. Formula matching – Assume all outcomes are equally likely.

<b>9.)</b> Experimental <i>P</i> ( <i>E</i> ) :	A.)	$\frac{ E }{ \Omega }$
<b>10.)</b> Theoretical <i>P</i> ( <i>E</i> ) :	в.)	$0 \le P(E) \le 1$
<b>11.)</b> Range Rule:	C.)	$\frac{n_E}{n}$
<b>12.)</b> Sum Rule:	D.)	P(E') = 1 - P(E)
13.) Complement Rule:	E.)	$\sum P(x) = 1$

#### **III. Applications**

**14.)** A kettle contains three gold coins, five silver coins and ten bronze coins. A coin is selected from this basket at random. What is the probability that it is a gold coin? \_\_\_\_\_

A.)	1/5	<b>B.)</b> 1/3	<b>C.)</b> 5/6	D.)	1/6
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<b>15.)</b> A baske	kettle contains three gold t at random. What are the	d coin e <b>odd</b>	s, five silver coins an <b>s against</b> it being a g	d ter old c	n bronze coins. A coin i oin?	s select	ed from t	his
A.)	5:1	В.)	1:5		<b>C.)</b> 6:1		D.)	1:6
<b>16.)</b> C tails u	Consider a trial that consist up. How many outcomes a	ts of f re in f	lipping a fair coin thr the sample space of t	ee ti this t	mes. Each time, it lanc rial?	ls either	heads u	o or
A.)	3	в.)	6		<b>C.)</b> 8		D.)	9
<b>17.)</b> C of hea the pi	Consider a trial that consist ads that appear in an outc robabilities as <b>decimals</b> .	ts of f ome (	lipping a fair coin thr of this trial. Fill in the	ee ti tabl	mes. Let $x =$ the null the right, represe	umber nting	x	<i>P</i> ( <i>x</i> )
<b>18.)</b> T Christ	he probability that there v mas?	will be	e snow on Christmas	is 30	%. What are the <b>odds</b>	in favor	of snow	on
A.)	7:3	В.)	3: 7	C.	) 10:3	D.)	3:10	
<b>19.)</b> A pair of fair, six-sided dice is rolled and the numbers that appear are recorded. What is the probability that the <b>sum</b> of these numbers is greater than or equal to five? [Hint: Make a set of axes diagram.]								
A.)	1/6	в.)	5/6	C.)	1/3	<b>D.</b> ) 2/	3	
<b>20.)</b> T your t	he odds against a random ticket wins the lotto?	i ticke	t winning a fundraisi	ng lo	otto are $20{:}1$ . What i	s the <b>pr</b>	obability	that
A.)	5.0%	В.)	4.8%	C.)	95.0%	<b>D.)</b> 95.	2%	
<b>21.)</b> A the si	trial consists of selecting ze of the sample space for	five c r this f	ards (without replace trial?	emei	nt) from a standard de	ck of 52	cards. W	'hat is
A.)	$2.22 \cdot 10^{36}$	В.)	311,875,200		<b>C.)</b> 260	D.)	380,204	,032
<b>22.)</b> S	ix <u>digits</u> are selected at ra	ndom	. What is the probab	oility	that the digits selected	l were a	ll nines?	
A.)	1/10	в.)	1/100	C.)	1/1,000	D.)	1/1,00	0,000

23.) Which of the following events is least likely to occur? \_\_\_\_\_

A.) Rolling a fair die 600,000 times and seeing a "1" 200,000 times

B.) Rolling a fair die 600,000 times and seeing a "1" 100,000 times

C.) Rolling a fair die 6 times and seeing a "1" twice.

**D.)** Rolling a fair die 6 times and seeing a "1" once.

**24.)** Chauncey flipped a coin 1,200 times and it came up tails 629 times. He therefore concludes that P(tails) = 0.524. What type of probability did Chauncey use in coming up with this conclusion?

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A.) Theoretical	B.) Experimental	<b>C.)</b> Subjective	<b>D.)</b> Rounding

**25.)** Consider the **box-and-whiskers plot** shown to the right. What is the probability that a randomly selected data point from the set that generated this plot will be between 50 and 100? \_\_\_\_\_



A.) 15% B.) 25% C.) 50%

**26.)** Consider the bar chart shown to the right. If a person is chosen at random from the field of study in which the survey that generated this chart was held, estimate the probability that this person will have **basketball** as his or her favorite sport: \_\_\_\_\_

**A.)** 37.5% **B.)** 75%

**C.)** 16.7% **D.)** 50%



D.) 75%

27.) Which of the following sample spaces is NOT random?

- **A.)** A fair coin is flipped.  $\Omega = \{\text{heads, tails}\}$
- **B.)** You buy a lottery ticket.  $\Omega = \{you win the jackpot, you do not win the jackpot\}$
- **C.)** Two evenly-matched opponents play a game of poker.  $\Omega$ ={player A wins, player B wins}

**D.)** A family has two children.  $\Omega = \{ (boy, boy); (boy, girl); (girl, boy); (girl, girl) \}$ 

**28.)** A trial consists of selecting two cards at random from the choices shown to the right. List all of the possible outcomes if you put the first card back before picking the second one: \_\_\_\_\_



**29.)** A trial consists of selecting two cards at random from the set in the previous problem. List all of the possible outcomes if you <u>don't</u> put the first card back before picking the second one: \_\_\_\_\_

**30.)** A trial consists of selecting two cards at random from the set shown in question #28. What is the probability that this outcome consists of picking an odd card, and then an even card, if you put the first card back before picking the second one? Express your answer as a fraction:

 $P(odd_1 and even_2) =$ \_\_\_\_\_

**31.)** A trial consists of selecting two cards at random from the set shown in question #28. What is the probability that this outcome consists of picking an odd card, and then an even card, if you <u>don't</u> put the first card back before picking the second one? Express your answer as a fraction:

 $P(odd_1 and even_2) =$ 

**32.)** In a high school homeroom, there are 30 students. 23 are taking a math class and 15 are taking a science class. 12 are taking both a math and a science class. If you pick a student from this class at random, what is the probability that this student is taking a math class <u>OR</u> a science class? \_\_\_\_\_

**A.**) 90% **B.**) 60% **C.**) 86.7% **D.**) 66.7%

**33.)** In a certain town, there is a 20% chance of rain on any given day. What is the probability that in the next week (7 days) there is **NO** rain in this town? \_\_\_\_\_

A.) 14.13%B.) 2.86%C.) 79.03%D.) 20.97%

**34.)** A 12-sided die is used in some board games. The faces of this die are numbered 1 to 12. Suppose you roll this die once. What is the probability that the number that appears is prime **or** greater than 9? \_\_\_\_\_ [Note: 1 is not considered to be a prime number.]

A.) 1/2 B.) 1/3 C.) 7/12 D.) 2/3

## Introduction to Probability Worksheet #1 Answer Key

1.) subset	23.) A
2.) at random	24.) B
3.) reduce	25.) D
4.) Experimental	26.) A
5.) trials	27.) В
<b>6.)</b> variable; instance (in that order)	
7.) complement	<b>28.)</b> {(3,3); (3,4); (3,5); (4,3); (4,4);
8.) decimals; Percents (in either order)	(4,5); (5,3); (5,4); (5,5)}
9.) C	
10.) A	<b>29.)</b> {(3,4); (3,5); (4,3); (4,5); (5,3); (5,4)}
11.) B	
12.) E	<b>30.)</b> 2/9
13.) D	<b>31.)</b> 1/3
14.) D	32.) C
15.) A	33.) D
16.) C	34.) C

17.)

,		
-	x	P(x)
	0	0.125
	1	0.375
	2	0.375
	3	0.125
	Σ	1 (check)

- 18.) B
- 19.) B
- 20.) B
- 21.) B
- 22.) D